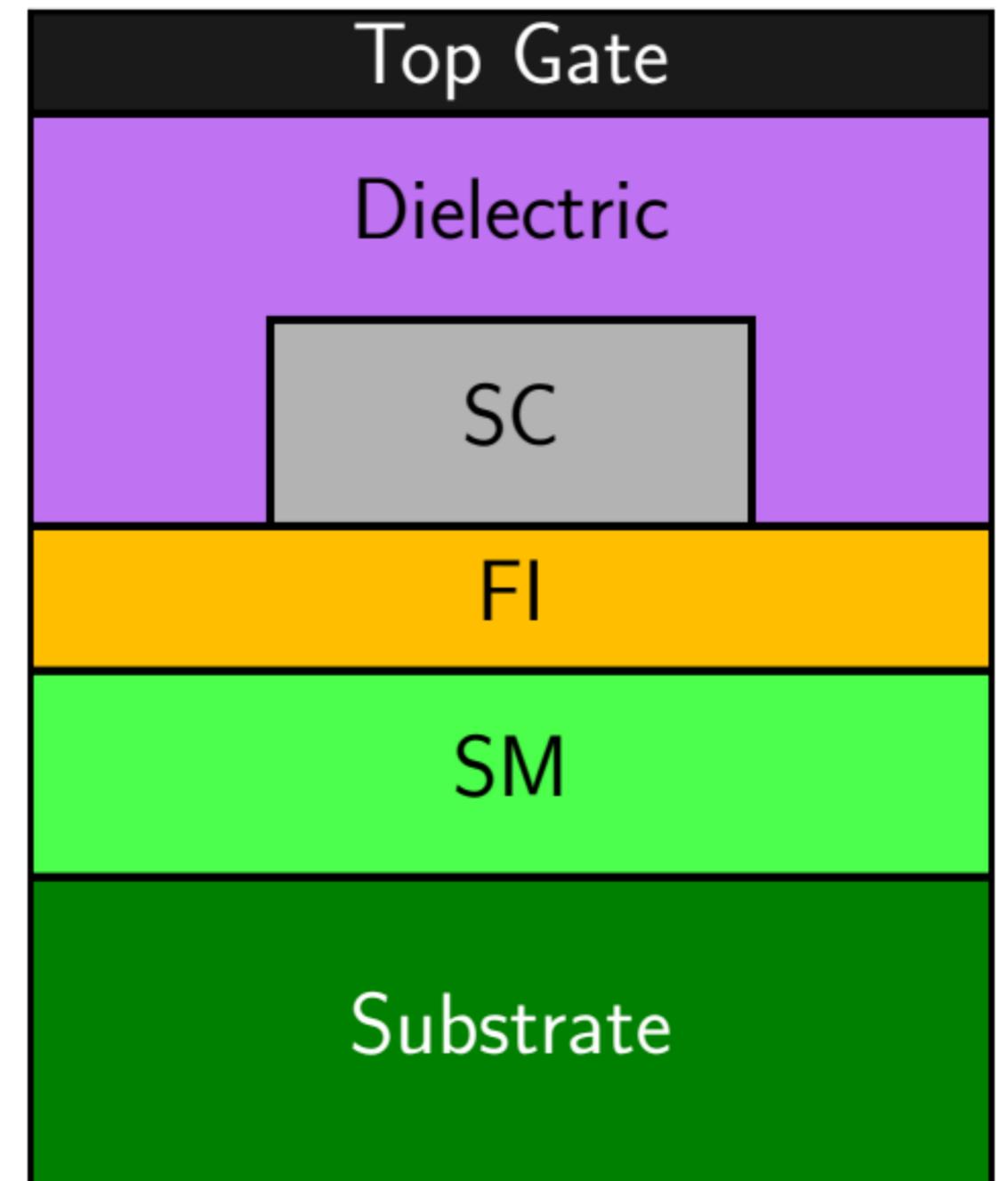


**SEMICONDUCTOR-
FERROMAGNET-
SUPERCONDUCTOR PLANAR
HETEROSTRUCTURES FOR 1D
TOPOLOGICAL
SUPERCONDUCTIVITY**

Samuel D. Escribano



npj Quantum Materials 7, 81 (2022)

SM-SC-FI planar wires



Alfredo Levy Yeyati



Elsa Prada



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**Andrea Maiani
Karsten Flensberg**

**Ruben Seoane Souto
Martin Leijnse**



SM-SC-FI planar wires

Motivation

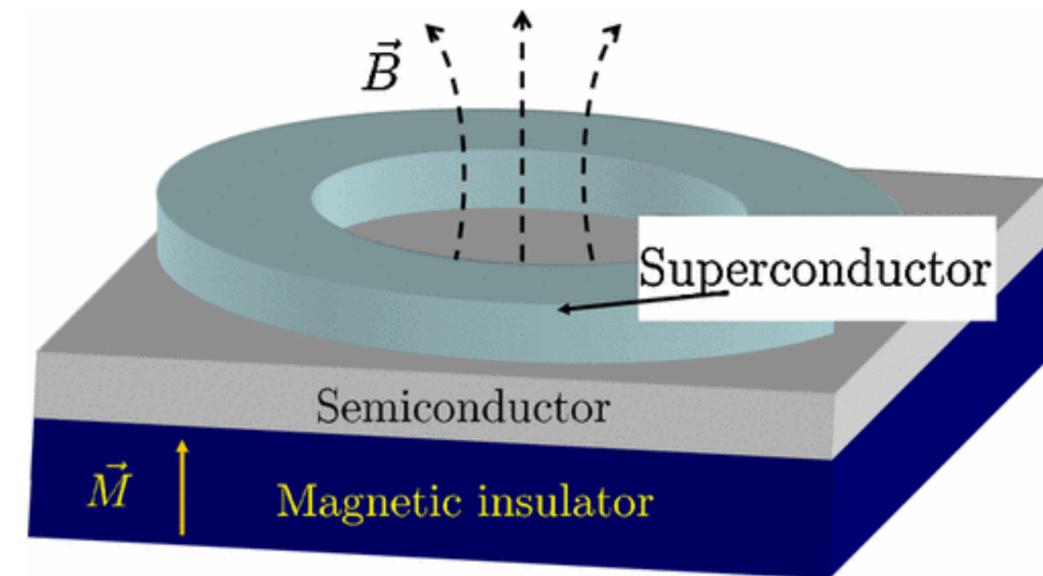
Model

Results

J. D. Sau *et al.*, PRL
104, 040502 (2010)

1D topological superconductivity
(Majorana modes) can be achieved in
heterostructures combining three
materials:

Semiconductor with SO coupling +
Superconductor + **Magnetic insulator**



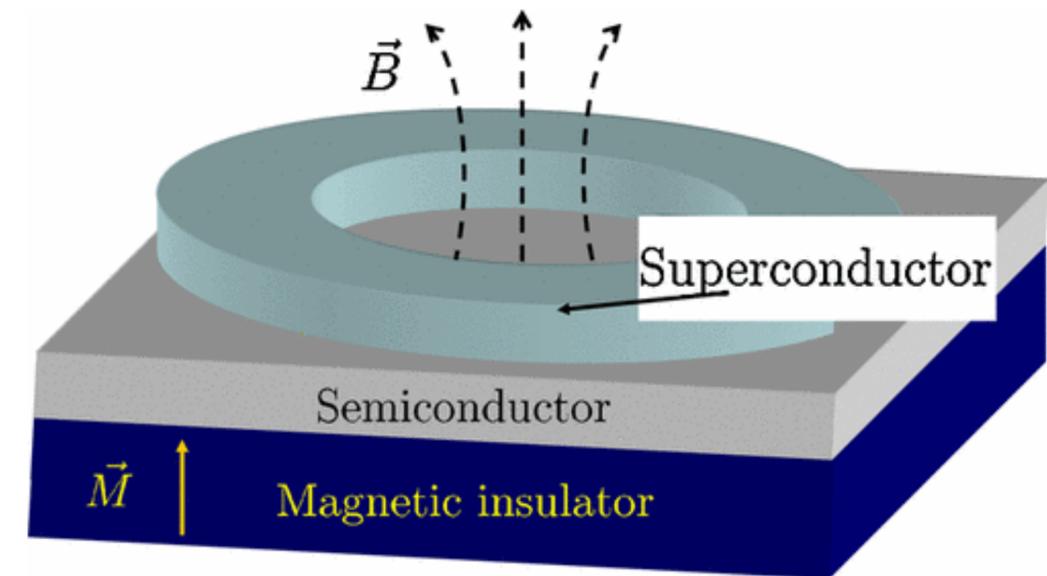
SM-SC-FI planar wires

Motivation
Model
Results

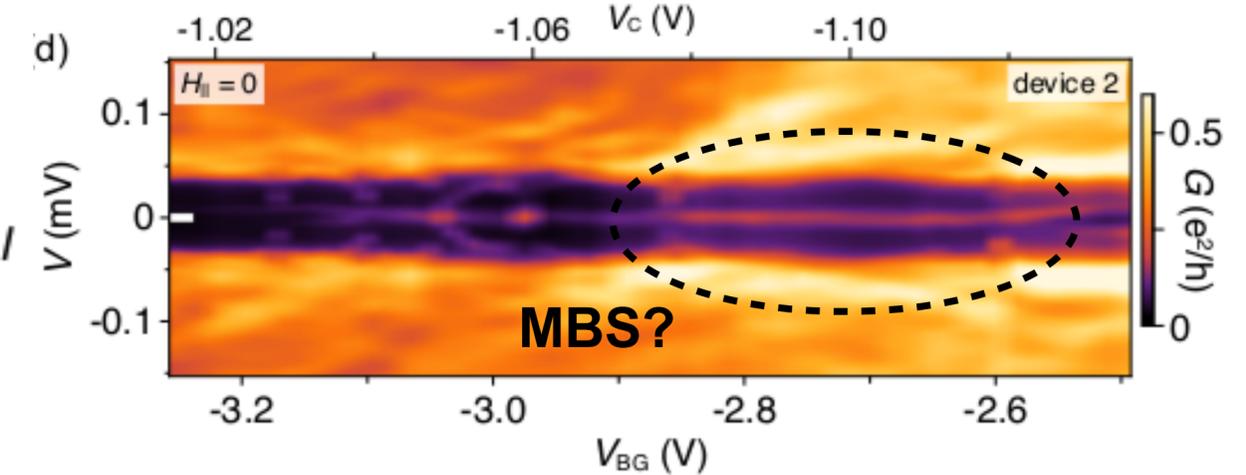
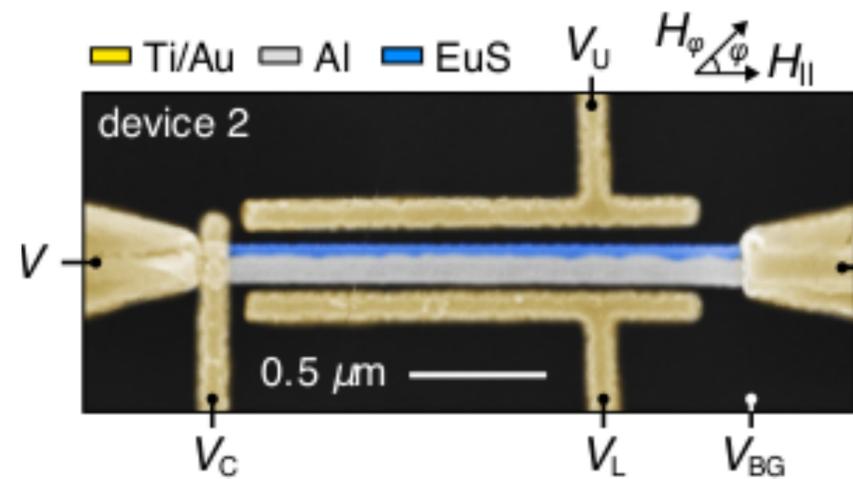
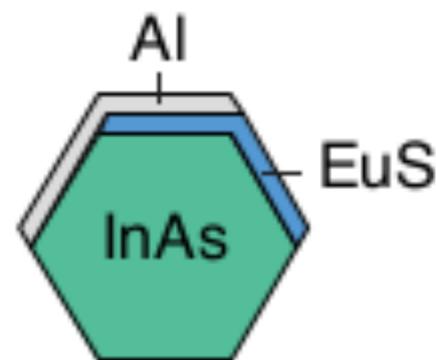
J. D. Sau *et al.*, PRL
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S. Vaitiekenas *et al.*,
Nat. Phys. **17**, 43
(2021)



SM-SC-FI planar wires

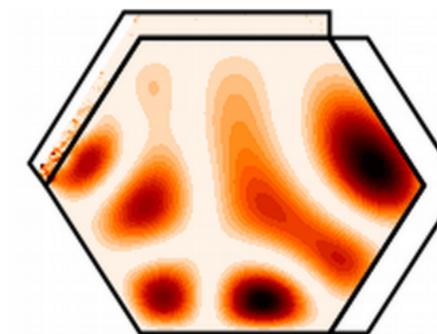
Motivation
Model
Results

J. D. Sau *et al.*, PRL **104**, 040502 (2010)

1D topological superconductivity (Majorana modes) can be achieved in heterostructures combining three materials:

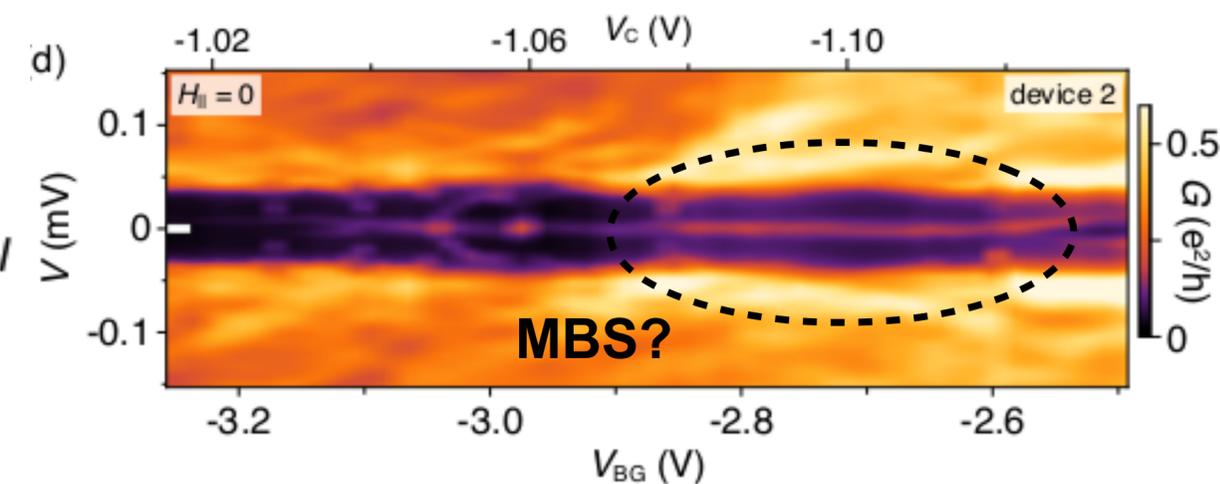
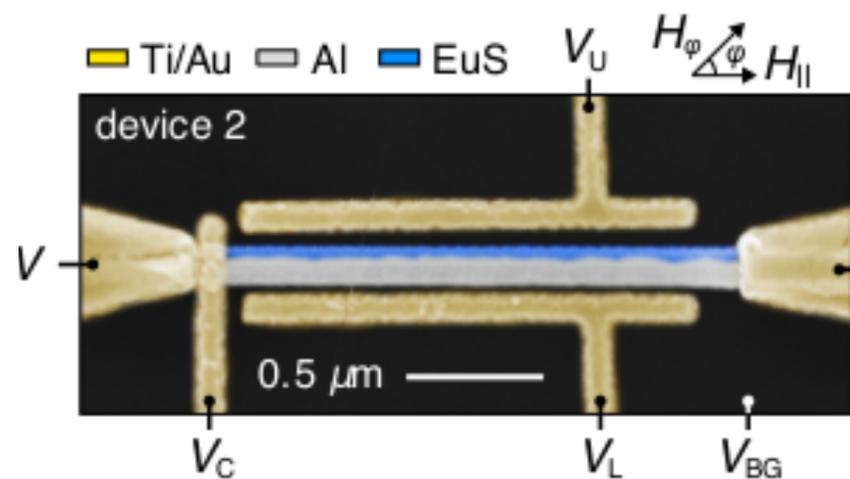
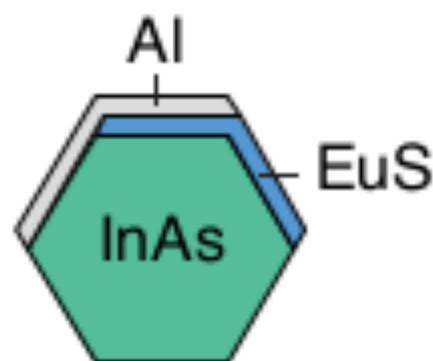
Semiconductor with SO coupling + Superconductor + **Magnetic insulator**

S. D. Escribano *et al.*, PRB **104**, L041404 (2021)



Proximity effects are very sensitive to layer disposition and gating!

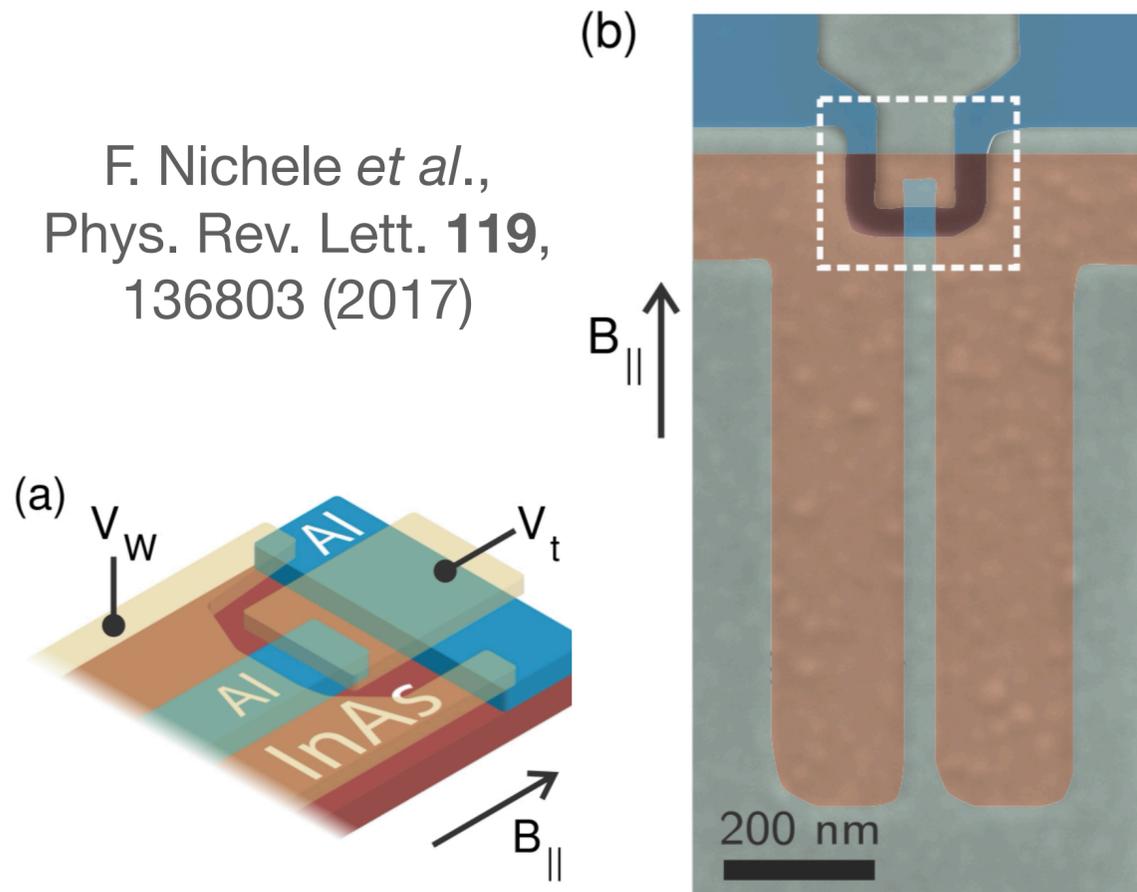
S. Vaitiekenas *et al.*, Nat. Phys. **17**, 43 (2021)



SM-SC-FI planar wires

Motivation
Model
Results

F. Nichele *et al.*,
Phys. Rev. Lett. **119**,
136803 (2017)



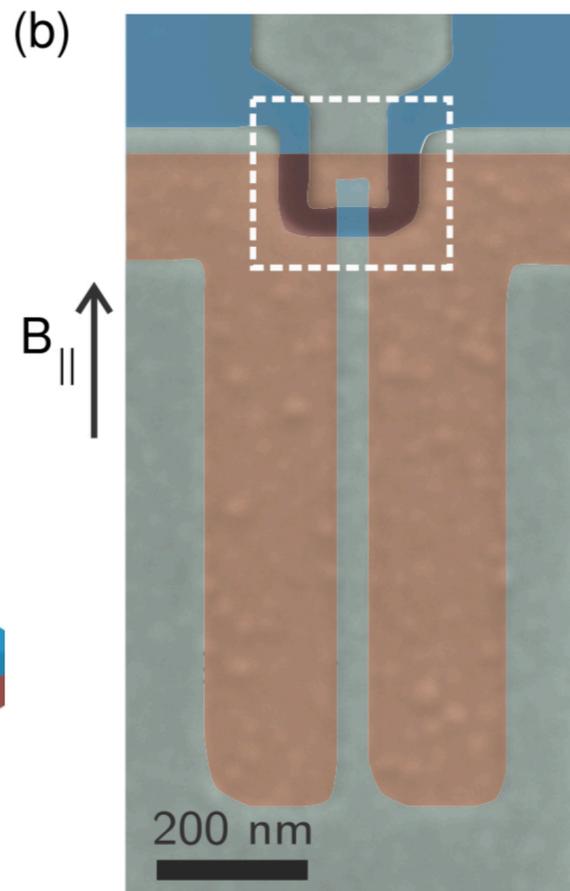
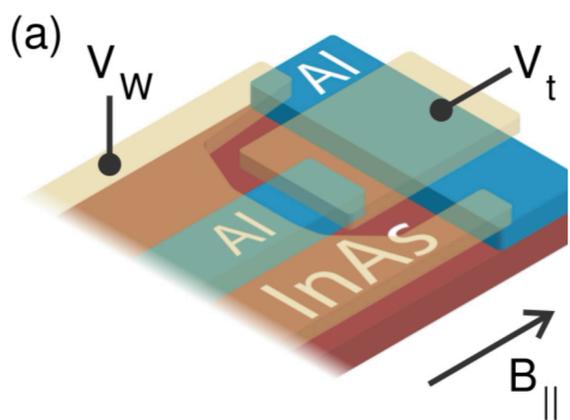
SM-SC-FI planar wires

Motivation

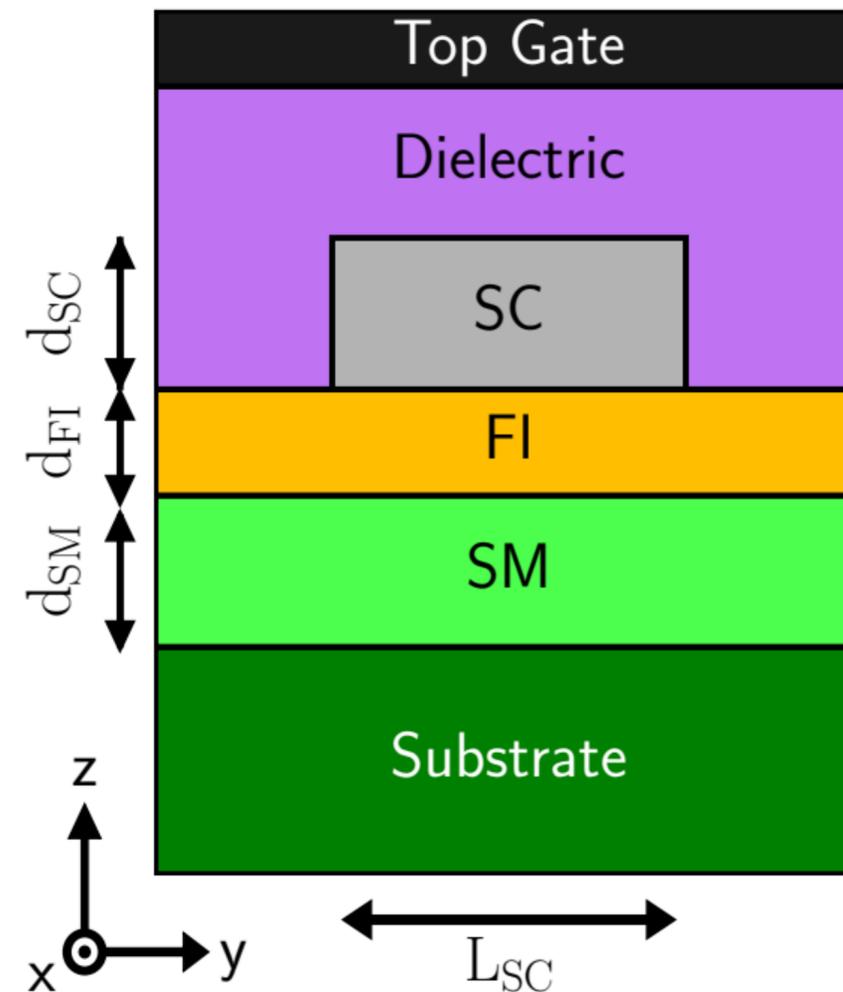
Model

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F. Nichele *et al.*,
Phys. Rev. Lett. **119**,
136803 (2017)



Samuel D. Escribano *et al.*, npj Quantum Materials **7**, 81 (2022)



Gate-defined 1D channel in a
planar SM-FI-SC heterostructure

The insulator should be thin
enough to allow electrons to tunnel
through

But thick enough to induce a
strong magnetization

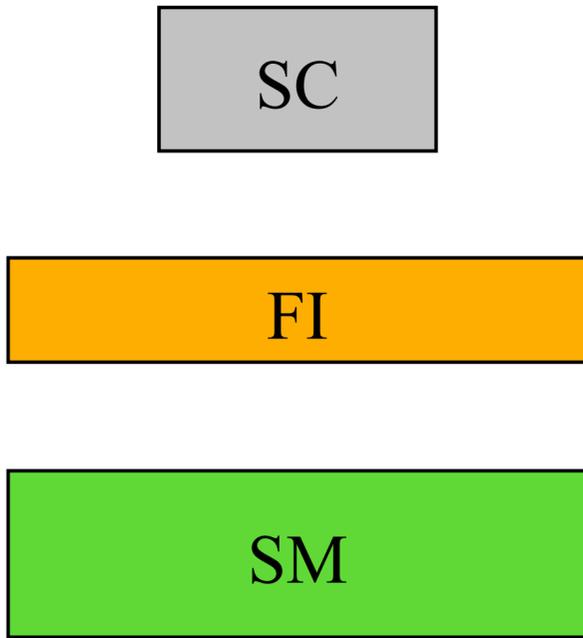
Optimal FI thickness?

SM-SC-FI planar wires

Motivation
Model
Results

We describe each material separately. When joined together, we describe the system with a single Hamiltonian with spatial dependent parameters.

$$H_{SM}, H_{FI}, H_{SC}$$



SC

The diagram shows three stacked rectangular blocks representing different materials. The top block is a small grey square labeled 'SC'. The middle block is a wider orange rectangle labeled 'FI'. The bottom block is a wide green rectangle labeled 'SM'. The blocks are stacked vertically, with the SC block on top, the FI block in the middle, and the SM block at the bottom.

FI

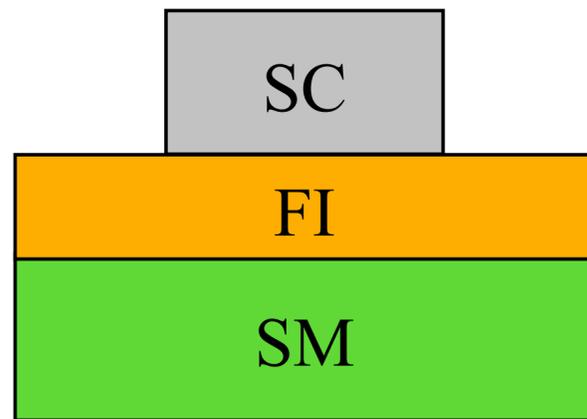
SM

SM-SC-FI planar wires

Motivation
Model
Results

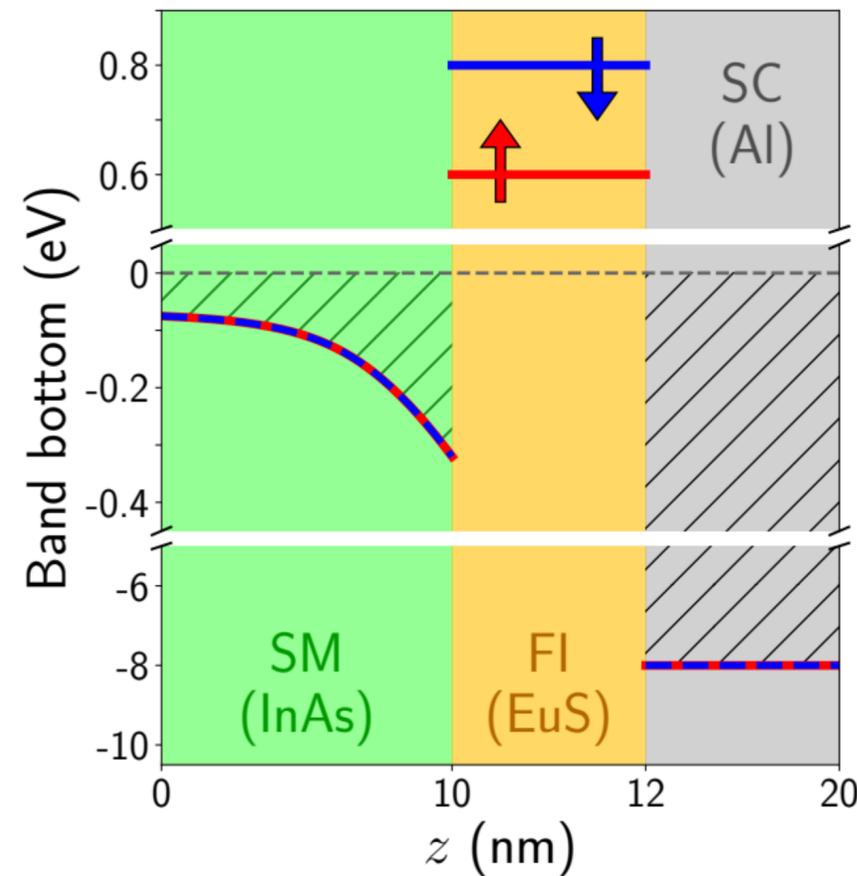
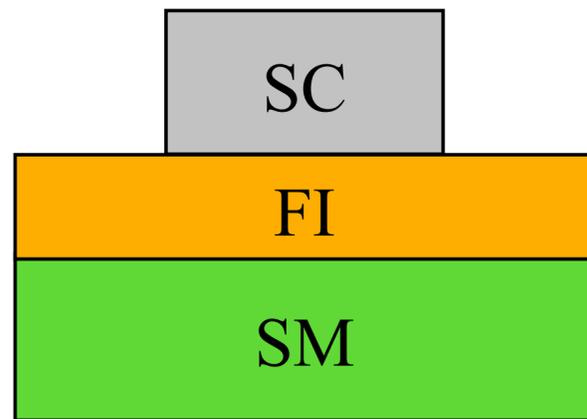
We describe each material separately. When joined together, we describe the system with a single Hamiltonian with spatial dependent parameters.

$$H = H_{SM} \oplus H_{FI} \oplus H_{SC}$$



SM-SC-FI planar wires

Motivation
Model
Results



We describe each material separately. When joined together, we describe the system with a single Hamiltonian with spatial dependent parameters.

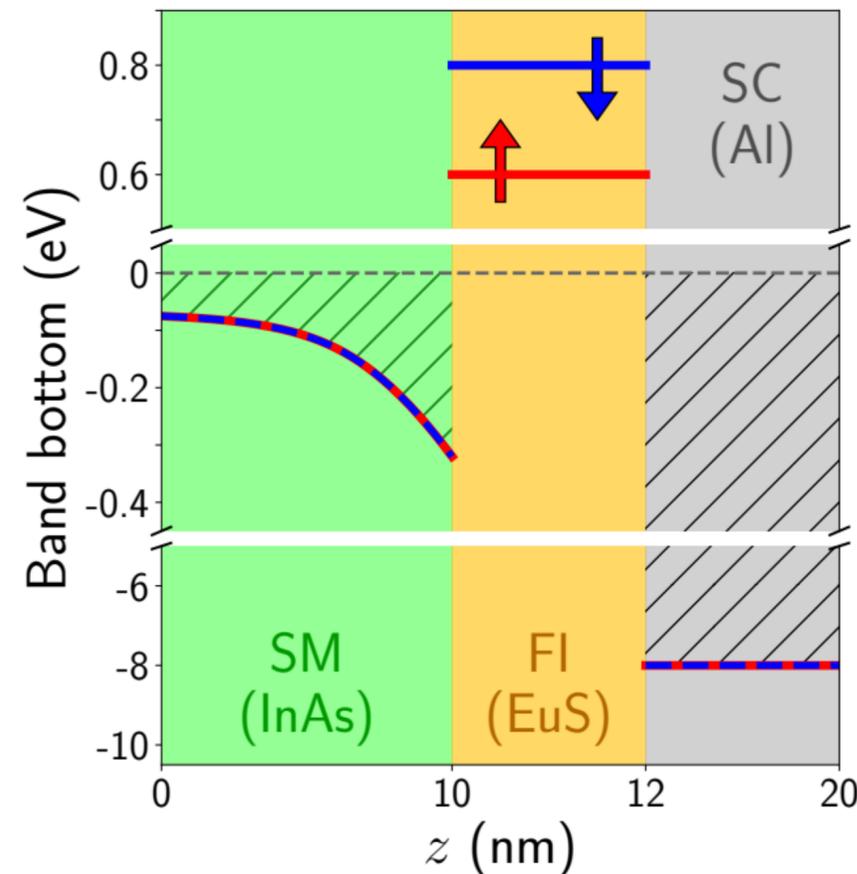
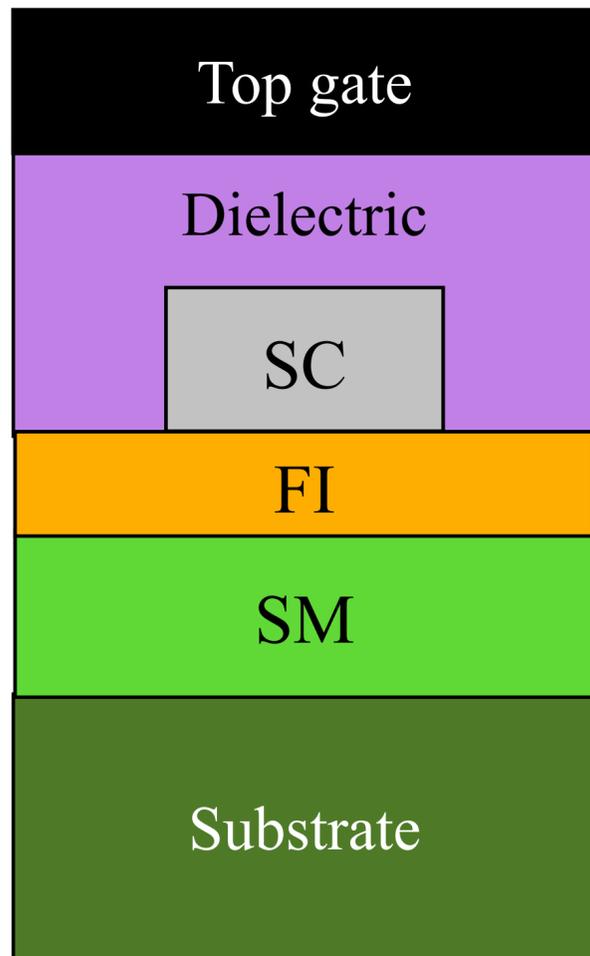
$$H = \left[\vec{k}^T \frac{\hbar^2}{2m^*(\vec{r})} \vec{k} + E_F(\vec{r}) - e\phi(\vec{r}) + h_x(\vec{r})\sigma_x \right] \tau_z$$

$$+ \frac{1}{2} \left[\vec{\alpha}_R(\vec{r}) \cdot (\vec{\sigma} \times \vec{k}) + (\vec{\sigma} \times \vec{k}) \cdot \vec{\alpha}_R(\vec{r}) \right] \tau_z$$

$$+ \Delta(\vec{r})\sigma_y\tau_y$$

SM-SC-FI planar wires

Motivation
Model
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We describe each material separately. When joined together, we describe the system with a single Hamiltonian with spatial dependent parameters.

$$H = \left[\vec{k}^T \frac{\hbar^2}{2m^*(\vec{r})} \vec{k} + E_F(\vec{r}) - e\phi(\vec{r}) + h_x(\vec{r})\sigma_x \right] \tau_z$$

$$+ \frac{1}{2} \left[\vec{\alpha}_R(\vec{r}) \cdot (\vec{\sigma} \times \vec{k}) + (\vec{\sigma} \times \vec{k}) \cdot \vec{\alpha}_R(\vec{r}) \right] \tau_z$$

$$+ \Delta(\vec{r})\sigma_y\tau_y$$

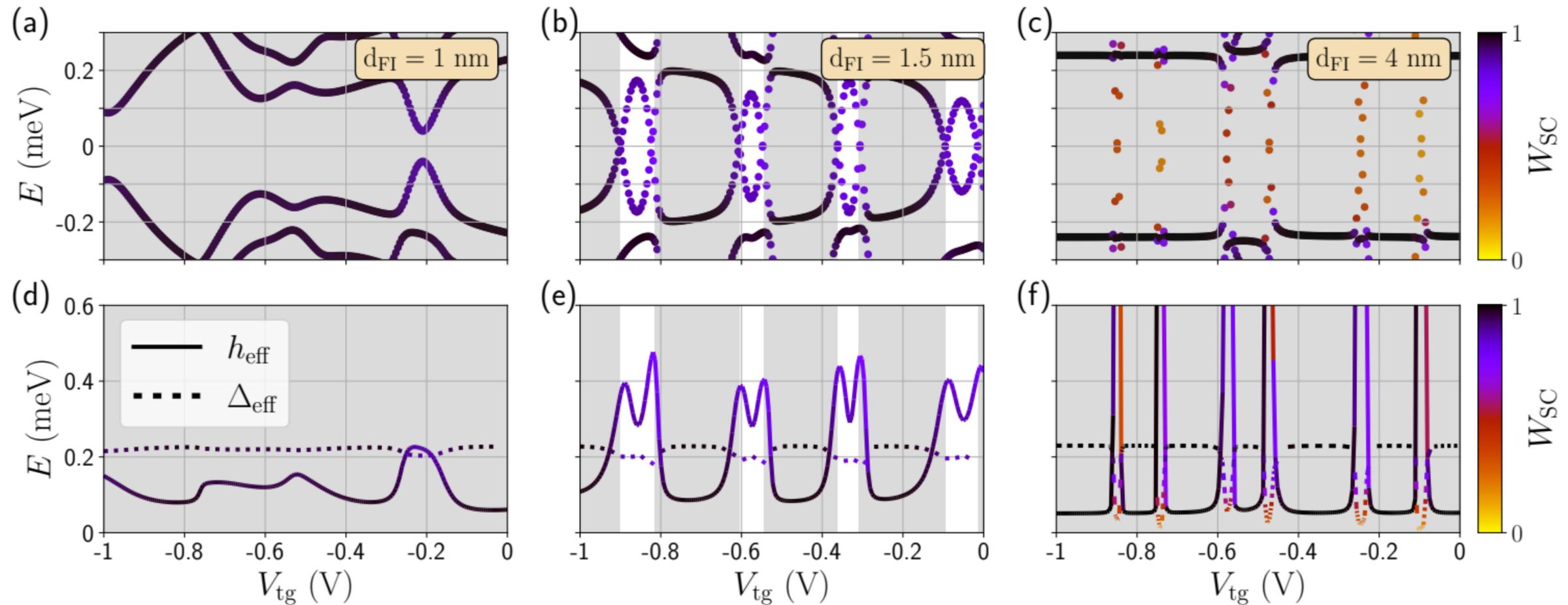
$$\vec{\nabla} \cdot \left(\epsilon(\vec{r}) \vec{\nabla} \phi(\vec{r}) \right) = -\rho(\vec{r})$$

We solve the Schrodinger-Poisson equation self-consistently with realistic parameters

SM-SC-FI planar wires

Motivation
Model
Results

Spectrum (at $k_x=0$) for different FI thicknesses

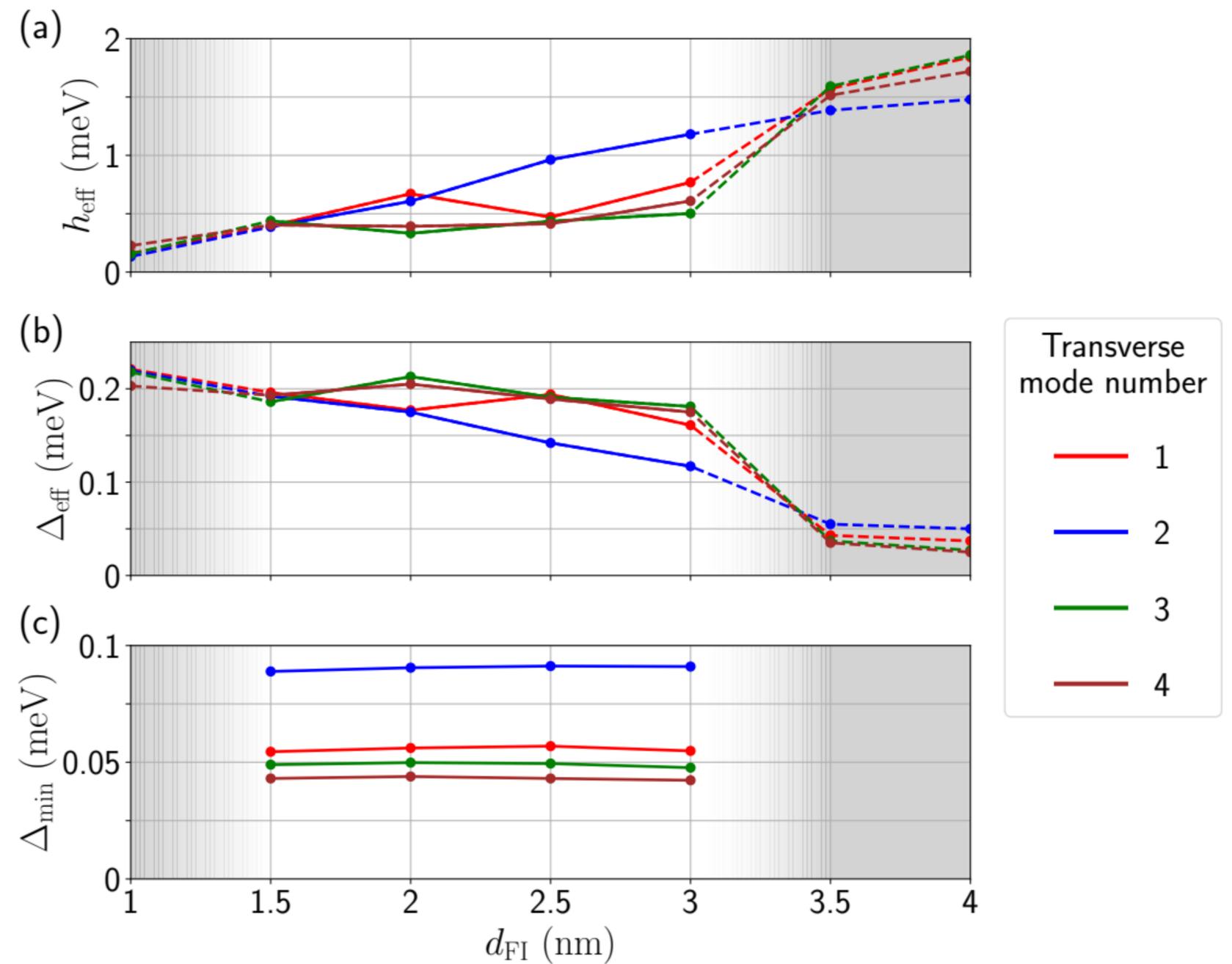


SM-SC-FI planar wires

Motivation
Model
Results

We analyze the evolution of different subbands for different FI thicknesses

We find that around 1.5 to 3 nm, InAs-EuS-Al heterostructures can support a topological superconducting phase



SM-SC-FI planar wires

Motivation
Model
Results

Planar-based heterostructures show stronger confinement (compared to nanowires), leading to:

- Stronger proximity effects
- More regular and larger topological phases (predictability)
- Larger minigaps

Samuel D. Escribano *et al.*, npj Quantum Materials **7**, 81 (2022)

